

Polytechnique Montréal World-Class Engineering





# Multi-scale model of rSFCLs in EMTP-RV power system transient simulator

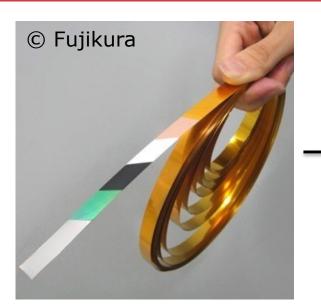
Charles-Henri Bonnard<sup>1,2</sup>, **Frédéric Sirois**<sup>1</sup>, Christian Lacroix<sup>1</sup>, Gaëtan Didier<sup>2</sup>

<sup>1</sup> Polytechnique Montréal, Canada
 <sup>2</sup> Université de Lorraine, Nancy, France

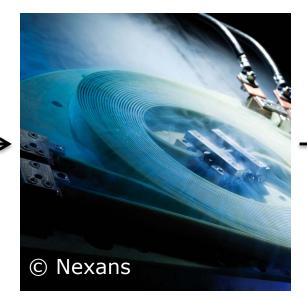
# WHY MULTI-SCALE?



## WHY MULTI-SCALE? BECAUSE LIFE IS MULTI-SCALE!



Materials and basic wires





Assemblies (e.g. coils)



**Devices** 

μm to km length scales!

Systems

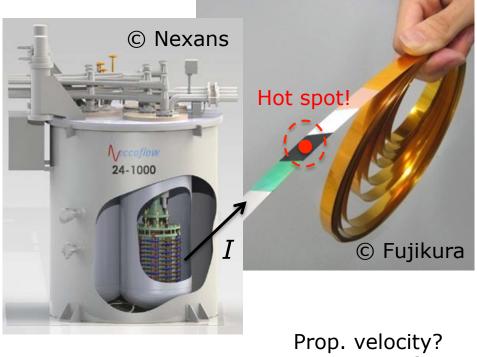
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Critical phenomena must be taken into account → Here: hot spots!

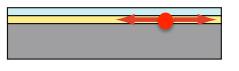
FEM is convenient, but not ideal to couple with system equations

C. Lacroix et al., Supercond. Sci. Tech. 27 (2014)

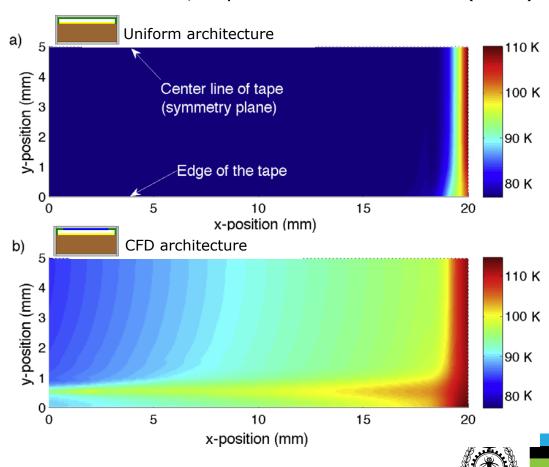


Max temp?

Hot spot & normal zone propagation



**F. Roy et al.**, *Physica C*, 469 (2009)





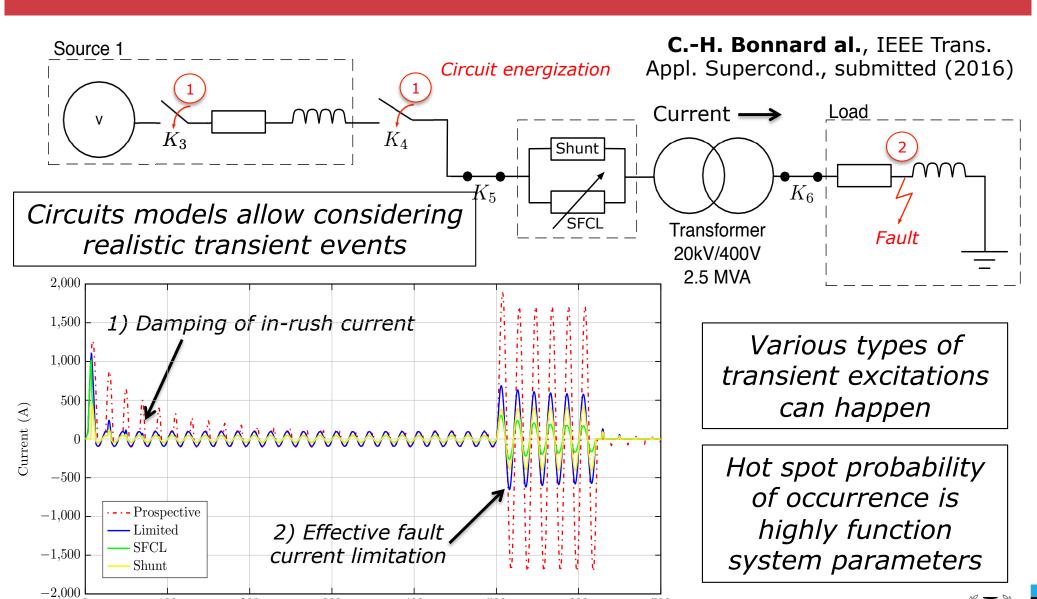


Device model must be compatible with system representation

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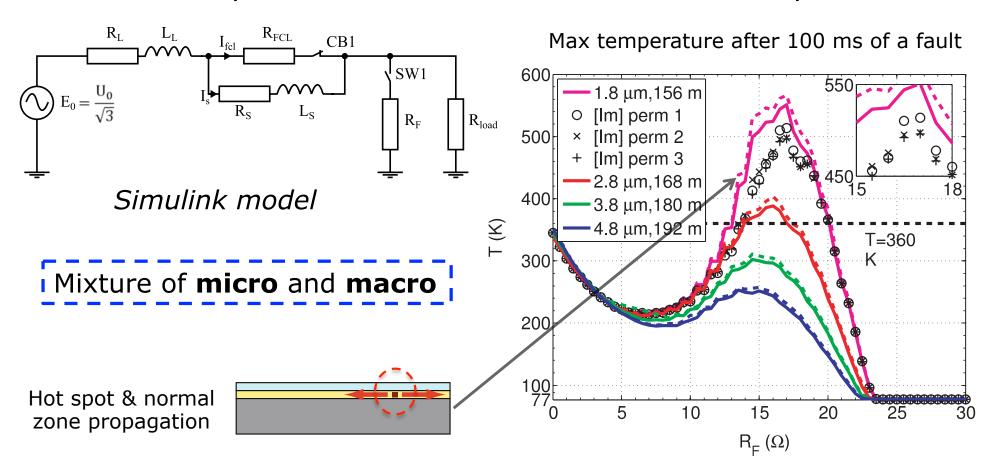


Time(ms)



Need for scalable multiscale simulations

Local temperature elevation in SFCL vs. fault impedance



- **D. Colangelo and B. Dutoit**, *Supercond. Sci. Tech.*, 25 (9), p. 095005, 2012.
- **F. Roy et al.**, *Physica C*, 469 (15), p. 1462, 2009.



#### **MULTI-SCALE MODEL: OPTIONS**

- 1) Co-simulation (horizontal)
  - Requires an interface between device and system simulators
  - Exchange of data between two commercial codes is difficult
  - Inclusion of more than 2 length scales hardly possible
- 2) System equations in device simulators (bottom-up)
  - Challenging because of heterogeneity/complexity of system equations
  - Few commercial codes offer this flexibility
- 3) Device equations in system simulators (top-down)
  - Challenge: write a device simulator within a system simulator
  - Option available in many commercial codes (dynamic-link lib.)
  - If well done, no limit on level of detail: true multi-scale!



#### **MULTI-SCALE MODEL: OPTIONS**

Tool selected:



http://emtp-software.com

- Features:
- → Power system transient simulator for large-scale systems
- → Nearly 50 years of model and code developments behind it
- → Typical types of problems investigated:
- -Insulation coordination
- -Switching surges
- -Ferroresonance
- -HVDC
- -Protection
- -Shaft torsional stress
- -Synchronous machines

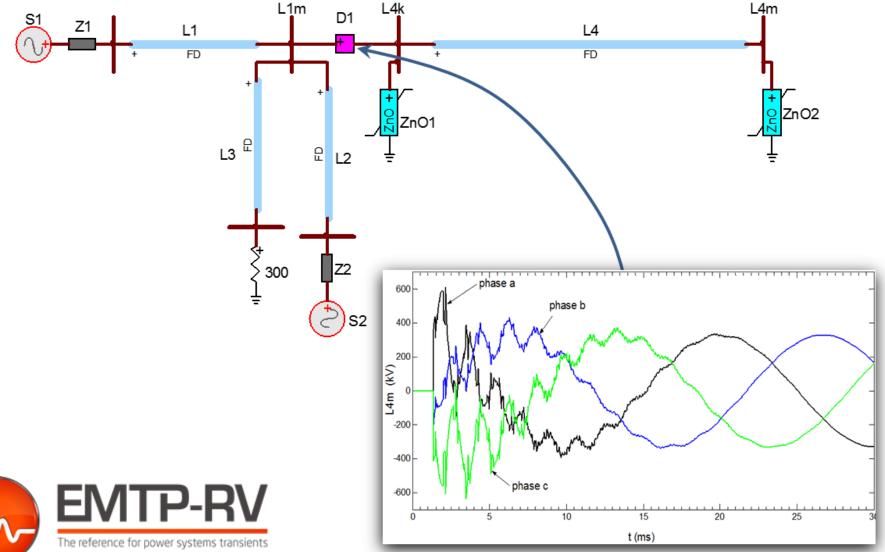
- -Power electronics and FACTS
- -Wind generation
- -Lightning surges
- -Network analysis
- -Series compensation
- -Switchgear
- -Short-circuits & fault currents

Major users in industry / rich library / open env.



## **EMTP-RV: EXAMPLES OF APPLICATIONS**

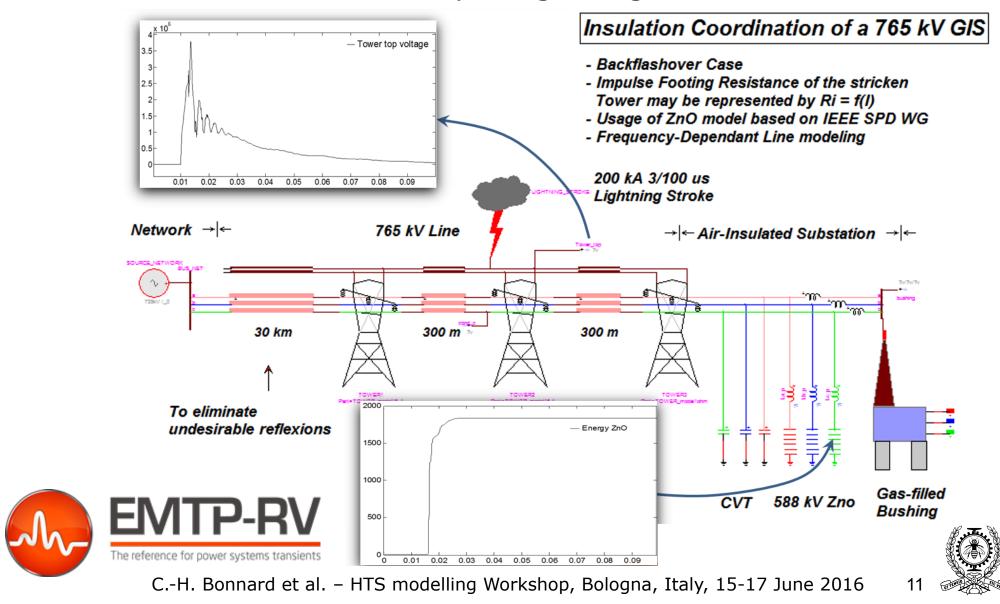
Switching transients on transmission lines





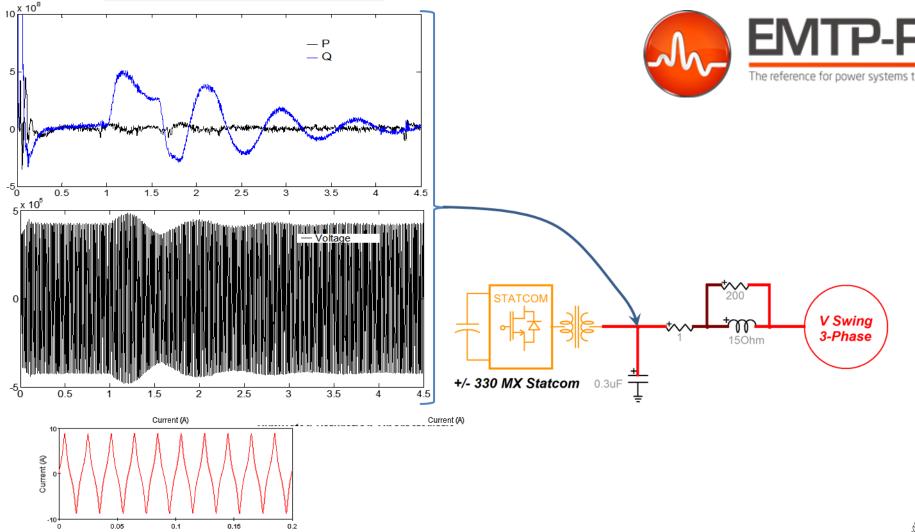
#### **EMTP-RV: EXAMPLES OF APPLICATIONS**

Insulation coordination upon lightning strikes



## **EMTP-RV: EXAMPLES OF APPLICATIONS**

Power electronics for voltage regulation

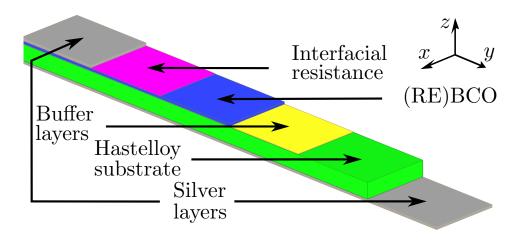


#### **GENERAL CONSIDERATIONS**

- EMTP-RV: not the only choice, but a good one for us since:
  - Used by many major utilities and device manufacturers
    - Good vector to promote superconducting device models
  - Optimized to solve large-scale networks (more than 100,000 components!)
  - Rich device libraries
    - Cables, transformers, machines, control devices, etc.
    - Many types of nonlinear elements
  - Relatively "open environment" that allows creation/addition of new library elements by
    - assembling existing elements;
    - writing user codes (dynamical-linked library DLL)
  - Main development realized in Polytechnique Montreal (!)



- Electro-thermal model of an HTS tapes
  - including all interfacial effects, symmetries, etc.
  - inductive effects neglected (OK in rSFLCs)



$$\nabla \cdot (\sigma(T, \nabla V) \nabla V) = 0$$

$$\rho_m C_p(T) \frac{\partial T}{\partial t} = \nabla \cdot (\kappa(T) \nabla T) + Q_J$$

## Coupling variables:

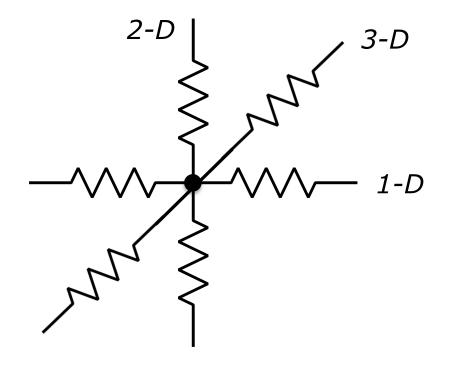
$$T = Temperature$$

$$Q_J = \text{Electrical losses } (\vec{E} \cdot \vec{J})$$
$$= \nabla V \cdot \sigma(T, \nabla V) \nabla V$$

Boundary conditions and constraints



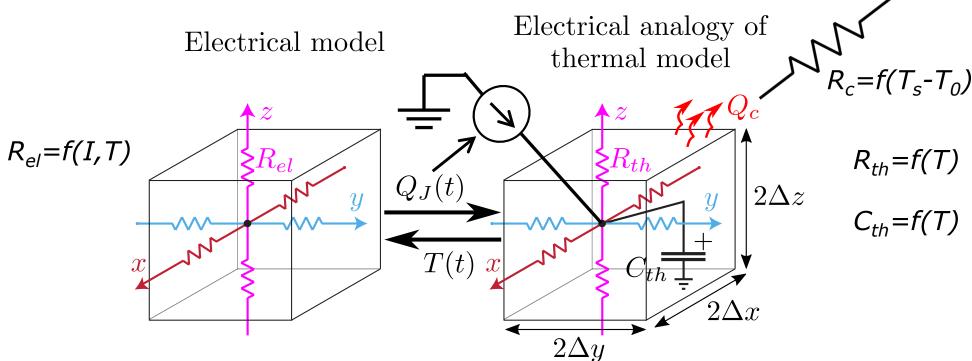
- Discretization approach: old good resistor network
  - Directly compatible with a circuit simulator
  - Dimensionality easy to adjust

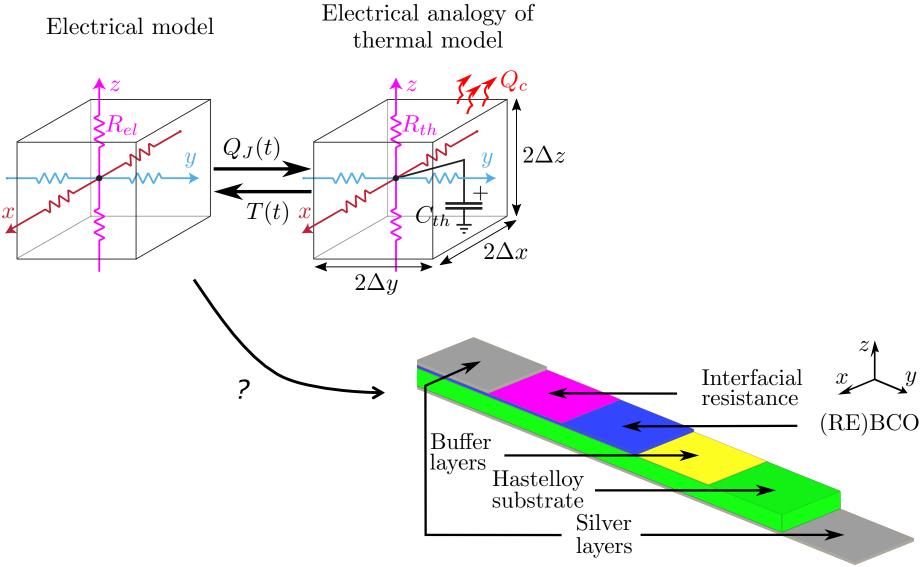


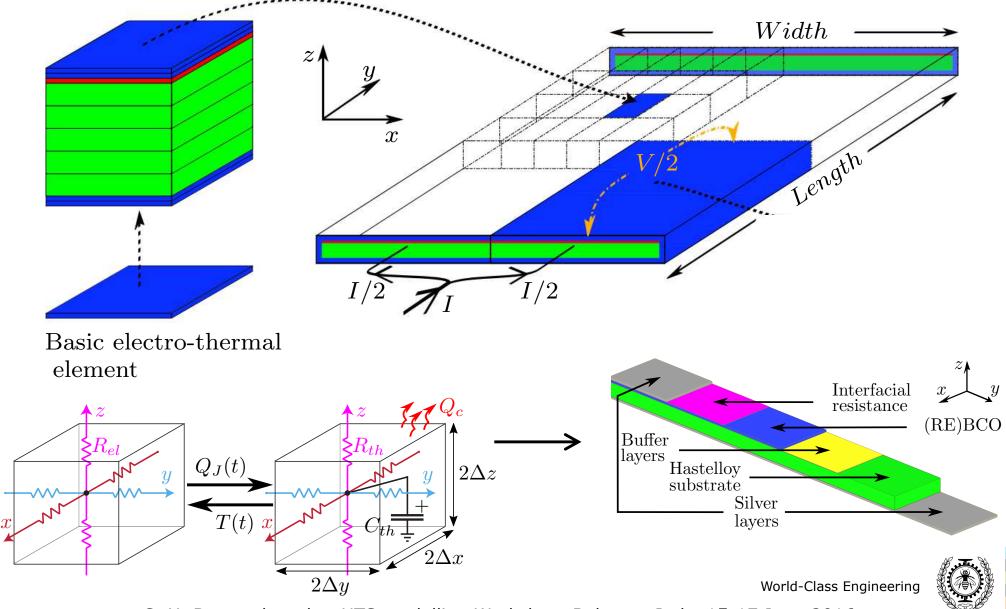
In appearance, similar to the finite difference method

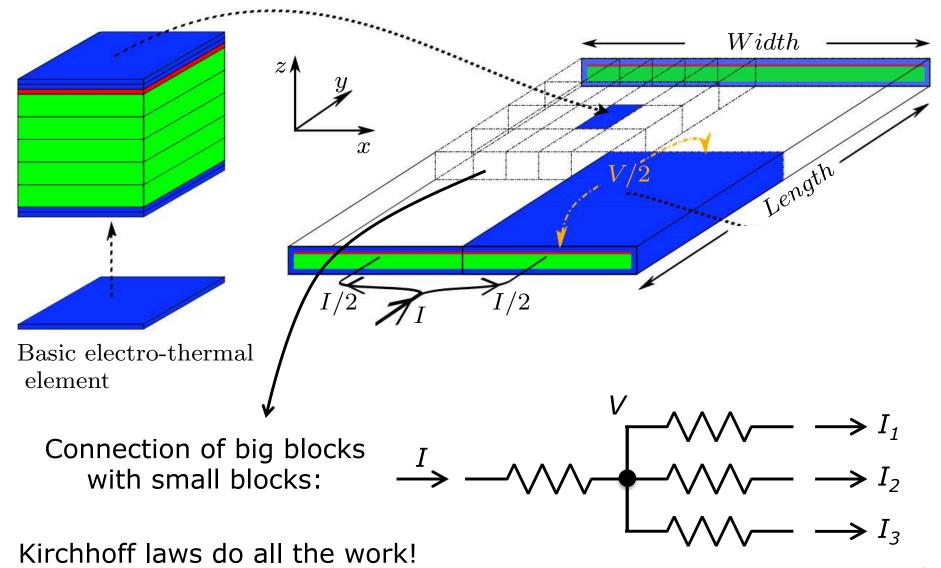
In fact: closer to a finite volume method (laws of conservation)

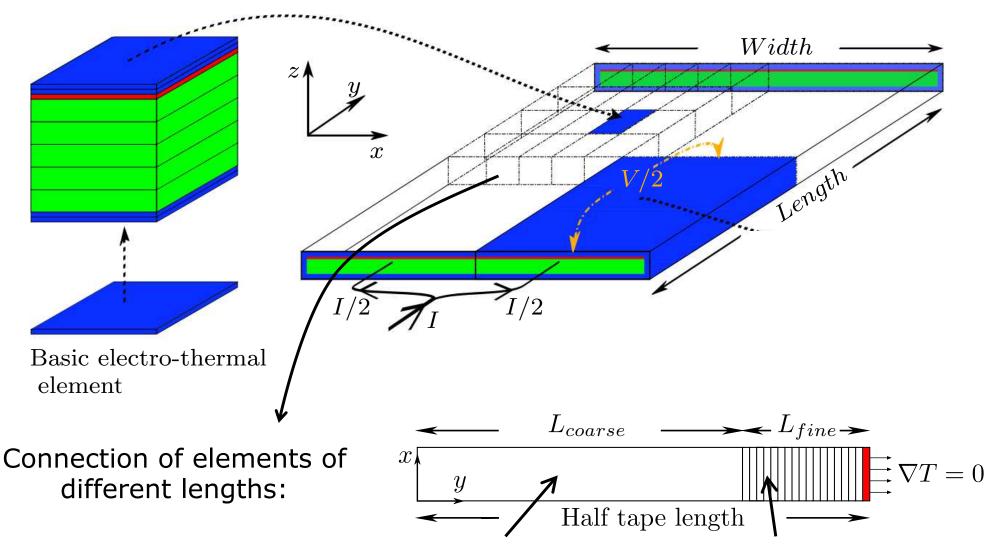
- Our building block in EMTP-RV
  - Basic 3-D (or less) electro-thermal element
  - All resistors and capacitors are nonlinear (!)







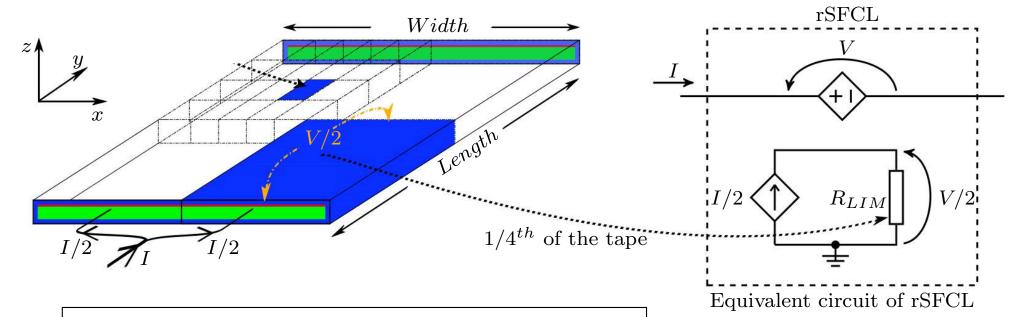




For instance: one element of 100 m with elements of 50 microns



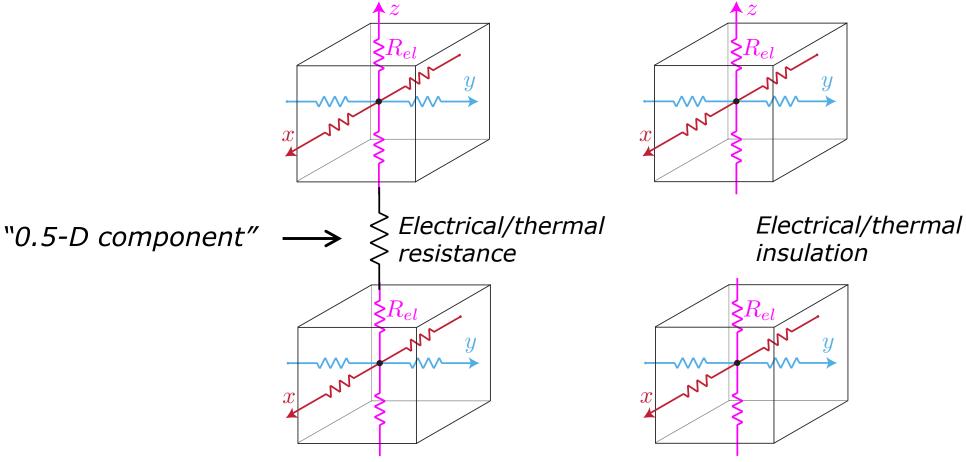
- Periodic conditions & symmetry planes handled through controlled voltage and current sources
  - Saves a huge amount of computation time



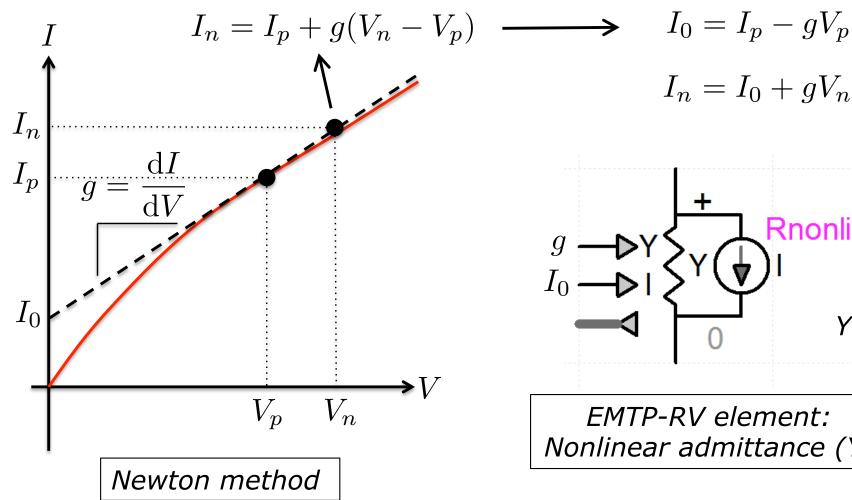
In this example: only 25% of original model is simulated



Implementation of interfacial effects

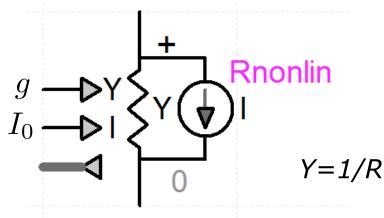


Implementation of nonlinear resistances in EMTP-RV



$$I_0 = I_p - gV_p$$

$$I_n = I_0 + gV_n$$

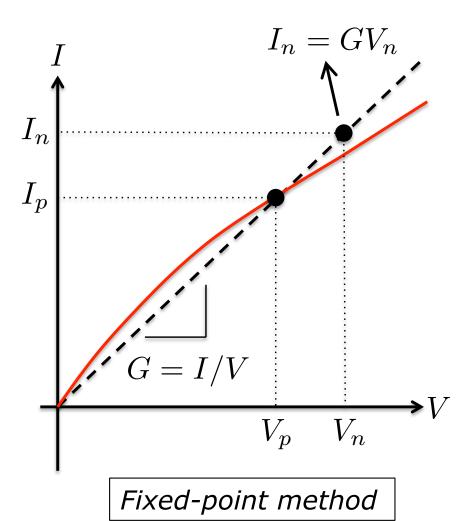


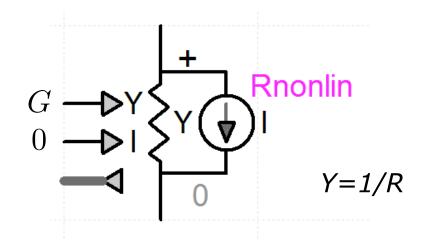
EMTP-RV element: Nonlinear admittance (Y)

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Implementation of nonlinear resistances in EMTP-RV



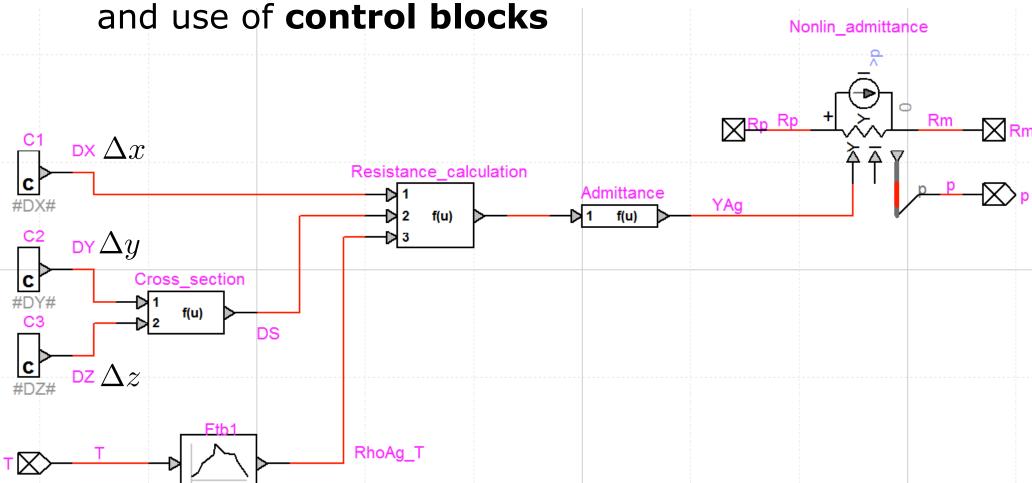


EMTP-RV element: Nonlinear admittance (Y)

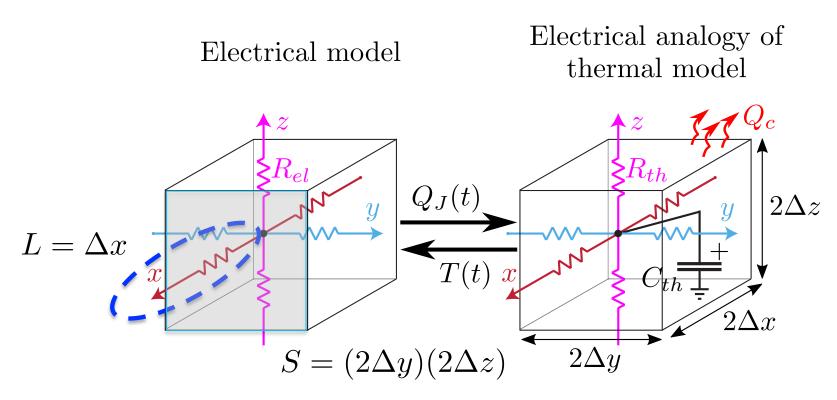
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Temperature dependant elements: fixed point-method

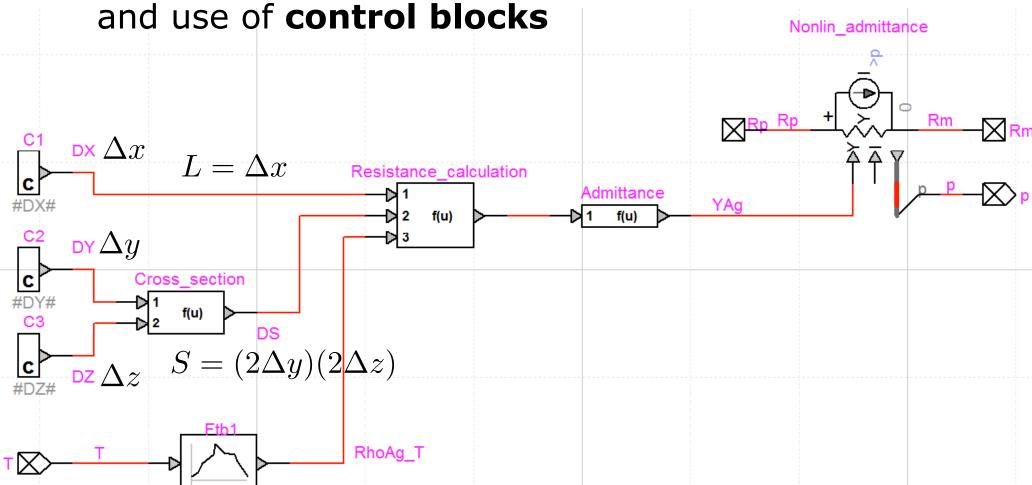


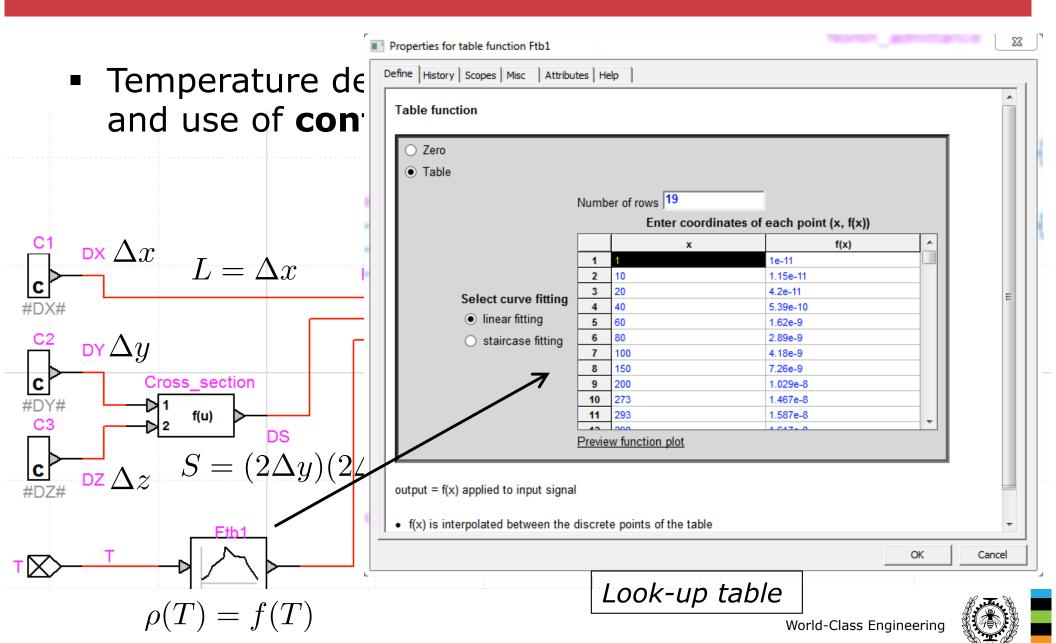
- Our building block in EMTP-RV
  - Basic 3-D (or less) electro-thermal element



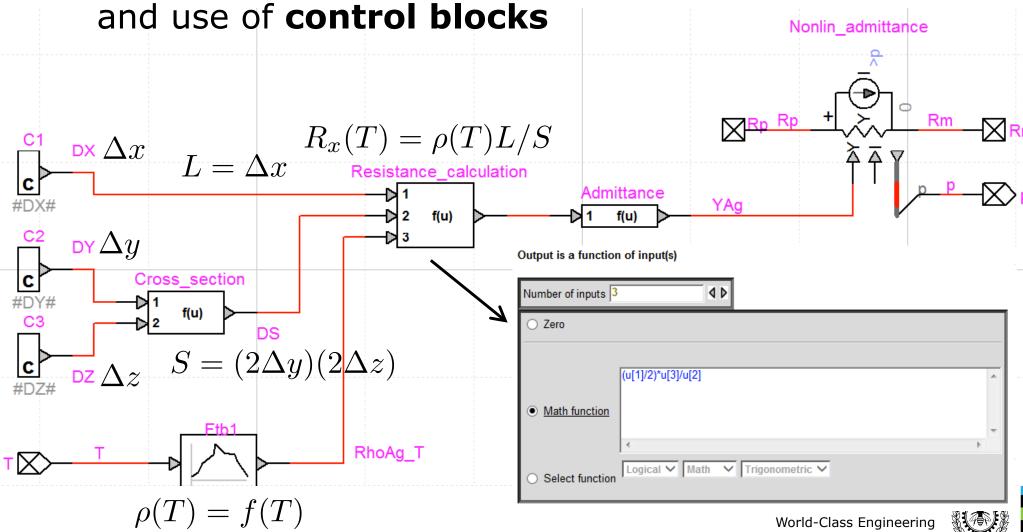


Temperature dependant elements: fixed point-method

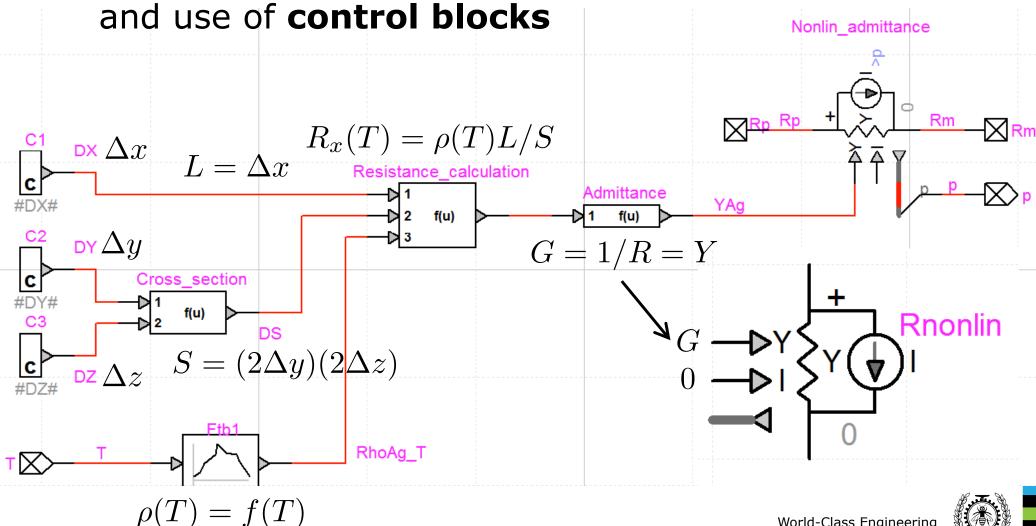




Temperature dependant elements: fixed point method

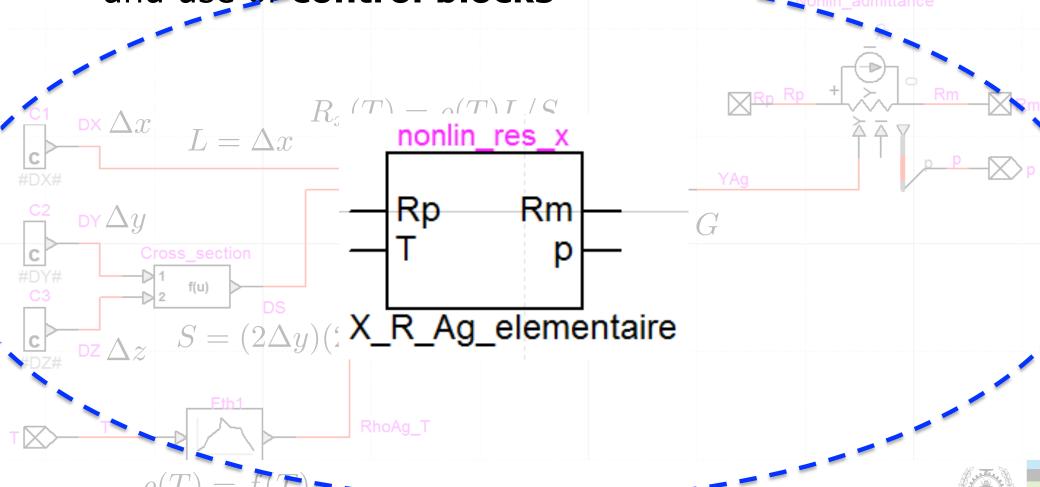


Temperature dependant elements: fixed point method



C.-H. Bonnard et al. – HTS modelling Workshop, Bologna, Italy, 15-17 June 2016

 Temperature dependant elements: fixed point method and use of control blocks



- Superconductor elements
  - Control block approach proved to be very unstable
  - Reason:
    - Control blocks introduce a delay of 1 time step
    - with high nonlinearity, very small time steps (ns range!) might be required to converge
  - Alternative approach:
    - Integrate a user-code in the form of a DLL file (Dynamic-Link Library)
    - The code has to be written in Fortran or C++
  - Pre-compiled once, then materials parameters can be changed from the GUI of EMTP-RV



# Superconductor model

$$\rho_{PL}(J,T) = \frac{E_c}{J_c(T)} \left(\frac{|J|}{J_c(T)}\right)^{n-1}$$

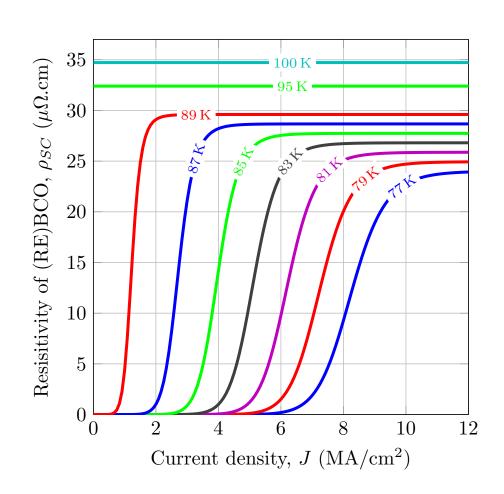
$$J_c(T) = J_{c_0} \left(\frac{T_c - T}{T_c - T_0}\right)$$

$$\rho_N(T) = \rho_{T_c} + \alpha \left(T - T_c\right)$$

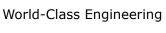
$$\rho_{SC}(J,T) = \frac{\rho_{PL}(J,T) \times \rho_N(T)}{\rho_{PL}(J,T) + \rho_N(T)}$$

Parameters	Value	description	
$\overline{E_c}$	$1~\mu\mathrm{V/cm}$	Critical electric field criterion	
$\overline{J_{c0}}$	$2.5~\mathrm{MA/cm^2}$	Self-field critical current density	
$\overline{n}$	15	Power law exponent	
$\overline{ ho_{T_c}}$	$30~\mu\Omega.\mathrm{cm}^{-1}$	Norm. state resistance at $T_c$	
$\alpha$	$0.47~\mu\Omega.\mathrm{cm}/\mathrm{K}^{-1}$	Temperature coefficient	
$\overline{T_c}$	90 K	Critical temperature	
$\overline{T_0}$	77 K	Temperature of LN <sub>2</sub> bath	

<sup>&</sup>lt;sup>1</sup> Deduced from Friedmann *et al.* [23] by averaging the normal state resistivity along the a and b crystallographic axes.



$$R_{SC}(I,T) = \rho_{SC}(J,T)L/S$$



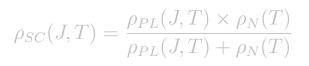


Superconductor model

$$\rho_{PL}(J,T) = \frac{E_c}{J_c(T)} \left(\frac{|J|}{J_c(T)}\right)^{n-1}$$

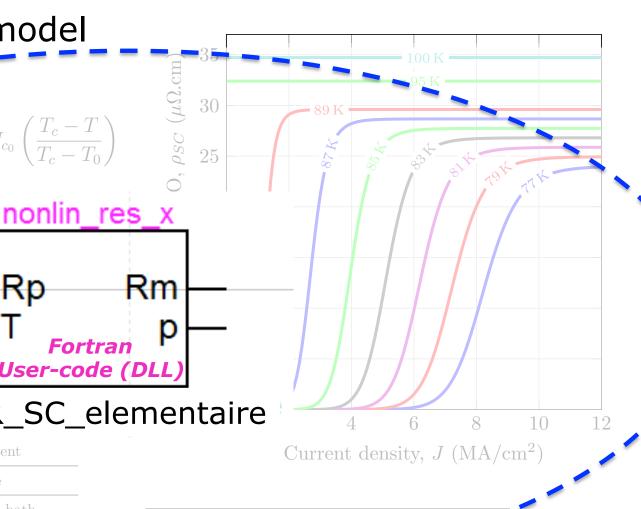
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Parameters	Value	description	<u>τ</u> γρ
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$J_{c0}$	$2.5~\mathrm{MA/cm^2}$	Self-field cri	For User-co
$\overline{n}$	15	Power law	
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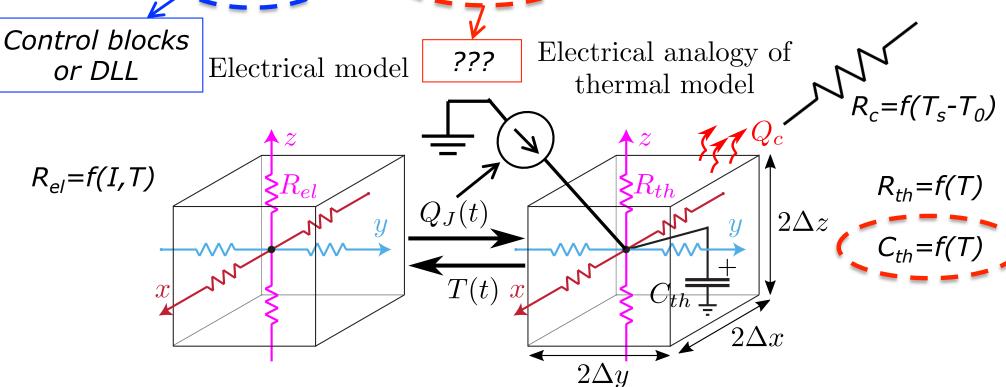


$$R_{SC}(I,T) = \rho(J,T)I/S$$

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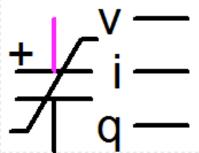
- Our building block in EMTP-RV
  - Basic 3-D (or less) electro-thermal element
  - All(resistors) and capacitors are nonlinear (!)



- Nonlinear thermal capacitors
  - Temperature dependence of specific heat is VERY important in rSFCLs
  - In the electric analogy,  $C_{th}(T) = C(V)$
  - But there is no nonlinear capacitor in most circuit simulators! (especially in power system simulators)
  - Solution:
    - Another DLL code!
  - Main features:

$$i = C(V) \frac{\mathrm{d}V}{\mathrm{d}t}$$
 Cnonl

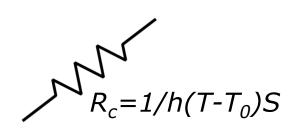




- Trapezoidal integration
- Look up table for C(V)
- Table read from a file (no need to recompile to change material properties)



- Nonlinear convection cooling
  - Critical aspect for assessing thermal stability of rSFCLs
  - Modelled with control blocks as described above
  - For instance:

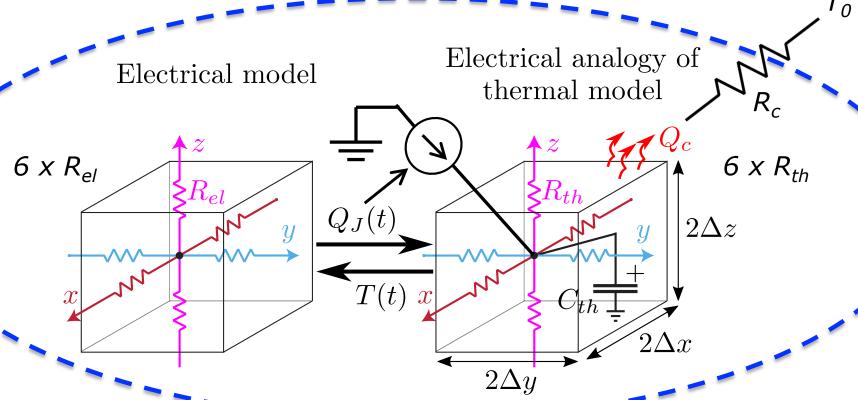


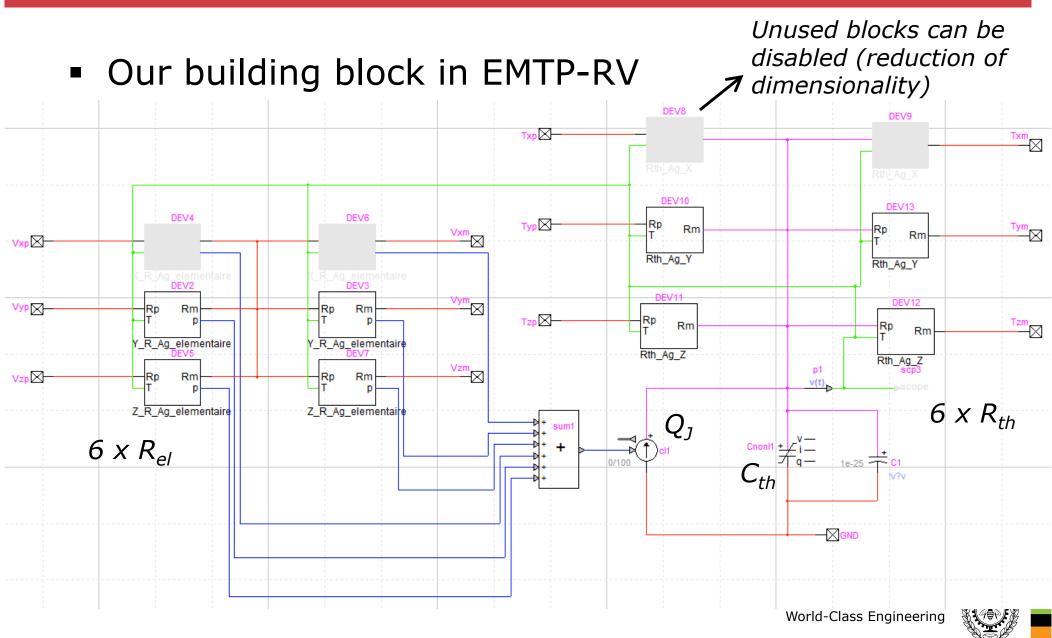
10000 8000 2000 2000 2000 3 10 15 20 25 30 T-T<sub>0</sub> (K)

Roy et al. **IEEE Trans. Appl. Supercond.** (2008) 18(1) p.29

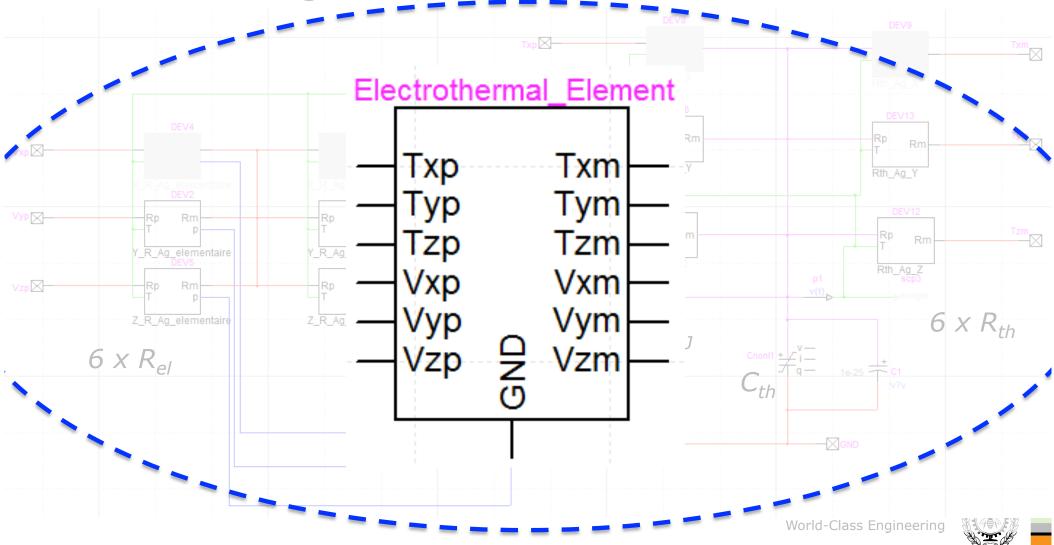


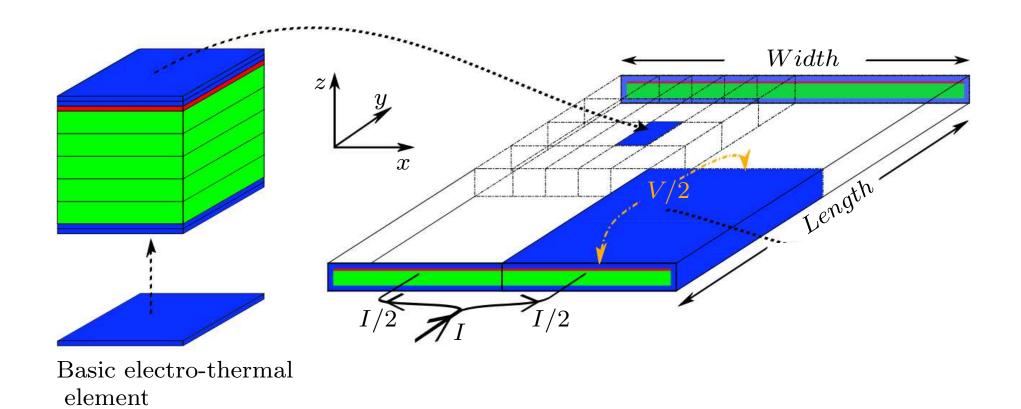
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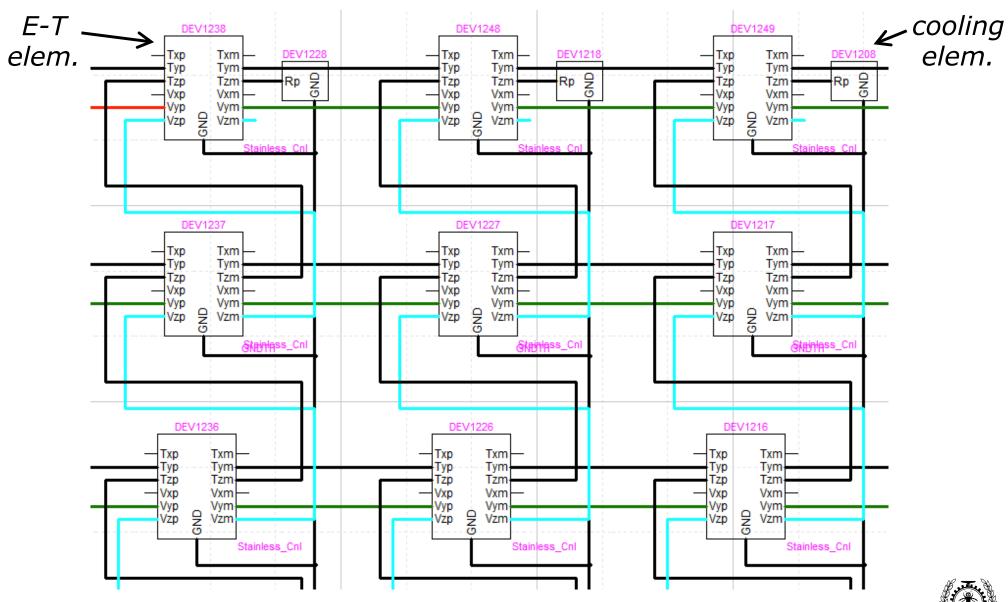


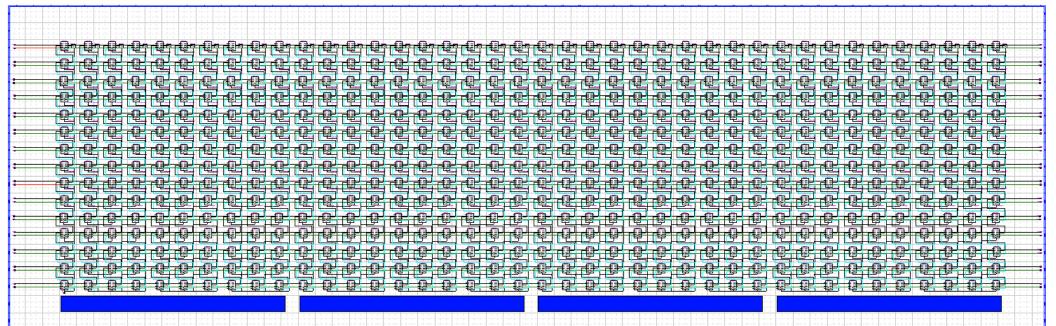


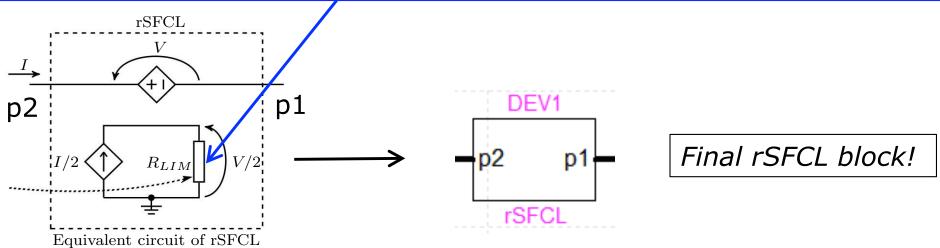
Our building block in EMTP-RV







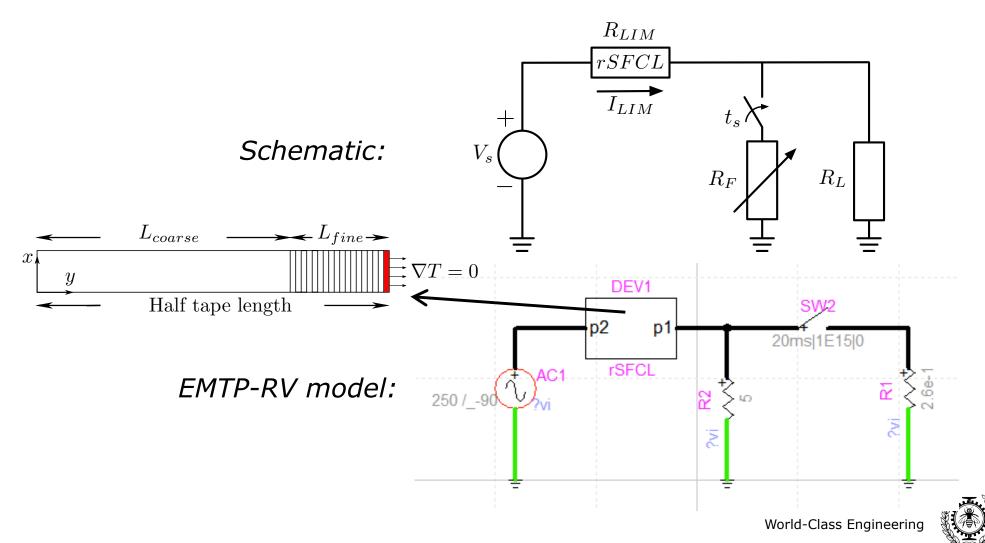




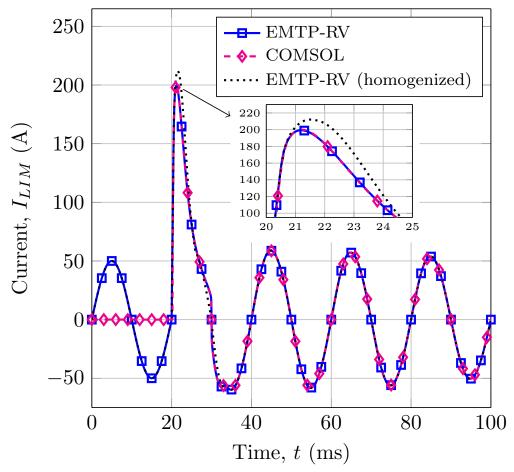
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rSFCL in simple radial power system



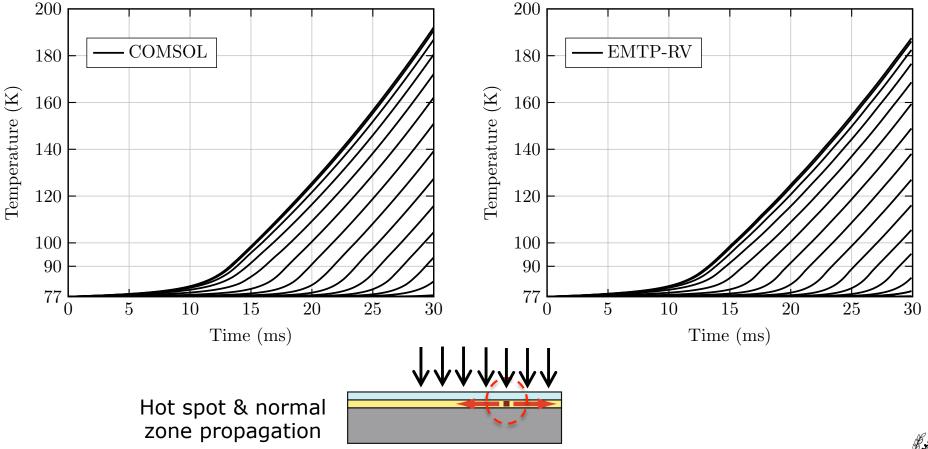
- Heavily compared against finite element method
  - Fault current limitation → Macroscopic effect



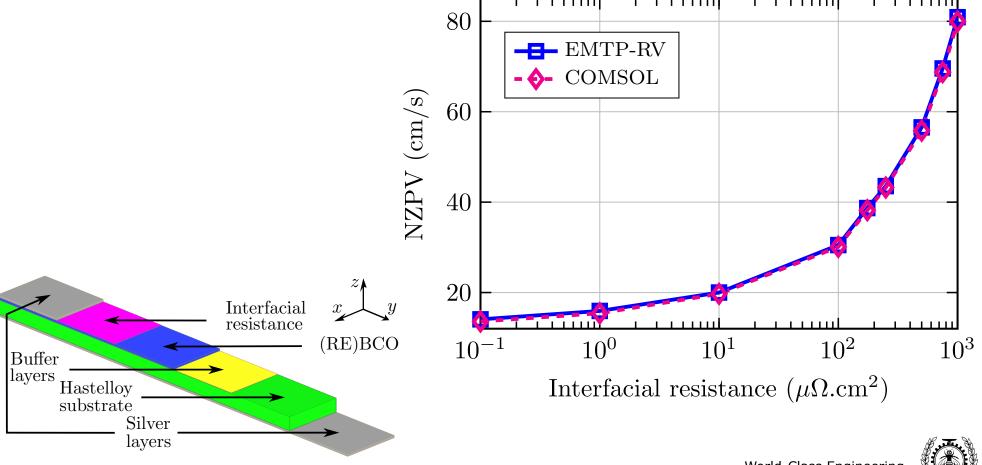


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- Heavily compared against finite element method
  - NZPV calculations → Microscopic effect

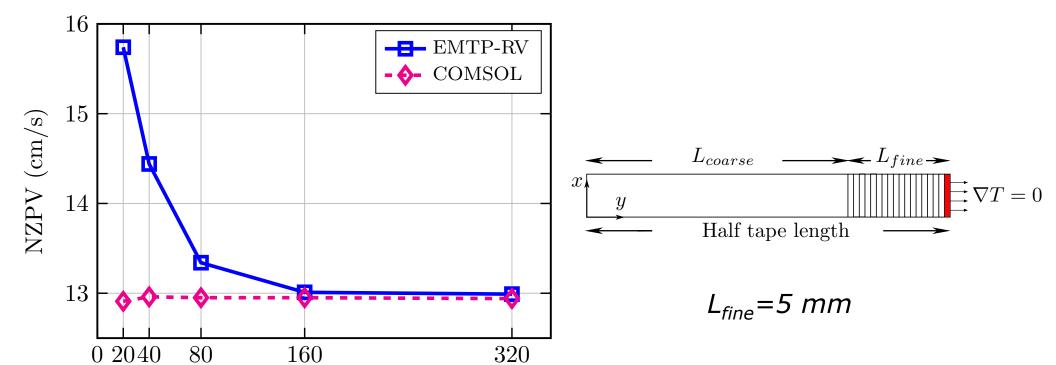


- Heavily compared against finite element method
  - Impact of interfacial resistance on NZPV → Microscopic effect



# Required discretization

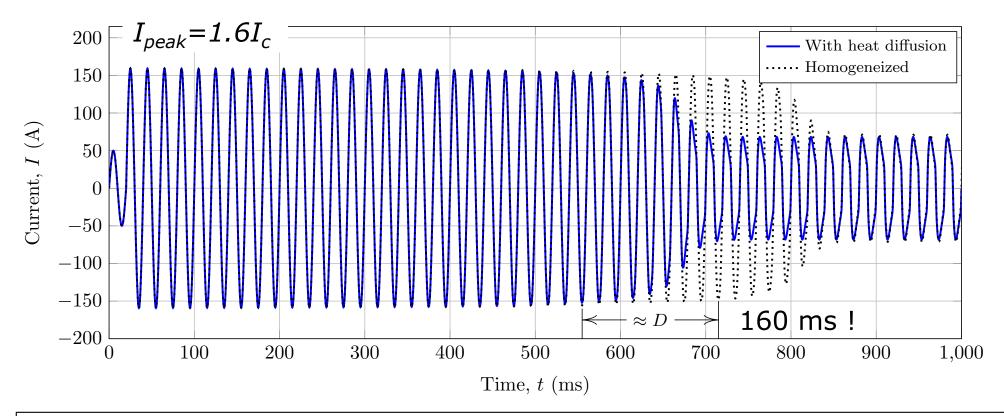
- Highly function of your needs!
- Example below for NZPV calculations:



Number of elements along the length,  $n_y$ 

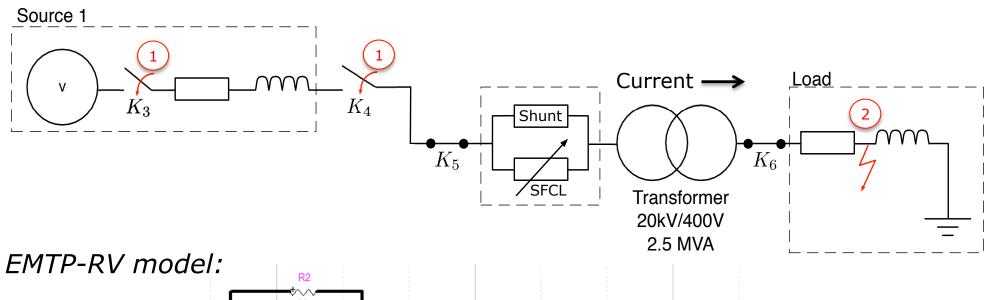
### PRACTICAL APPLICATION

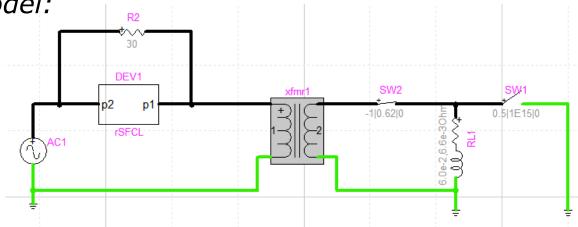
Validation of the popular "homogenized model" of an rSFCL



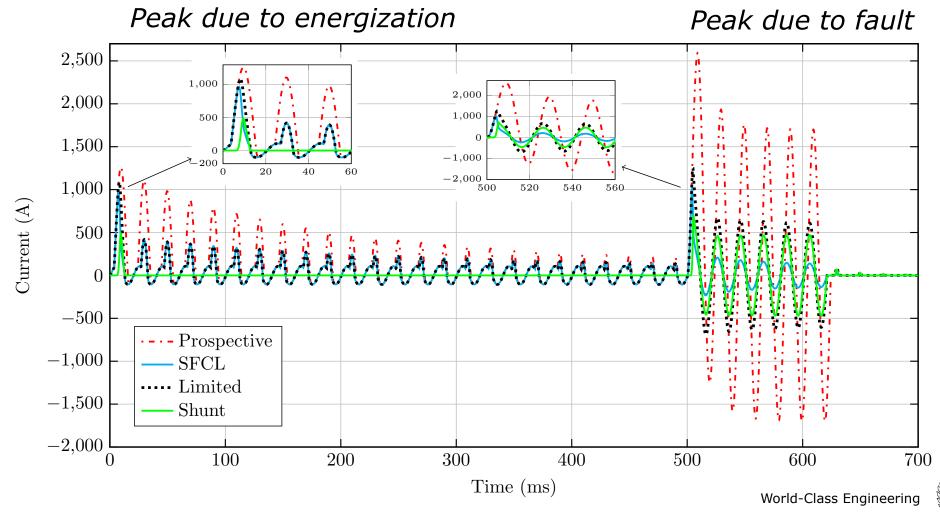
In low over-current regimes, the homogenized model can induce a very important delay in triggering the limitation (not a hot spot issue!)

More involved: rSFCL & transformer energization

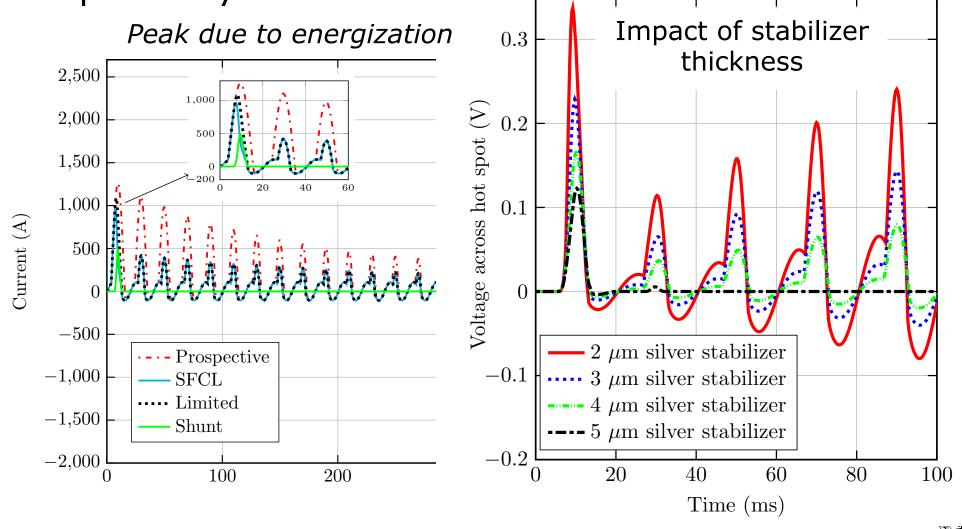




 More involved case: rSFCL impact on common power system transients



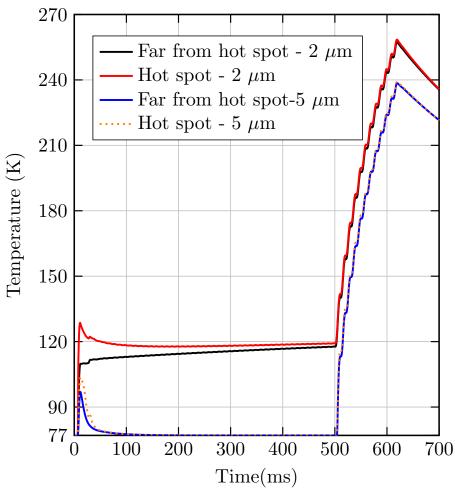
 More involved case: rSFCL impact on common power system transients



 More involved case: rSFCL impact on common power system transients

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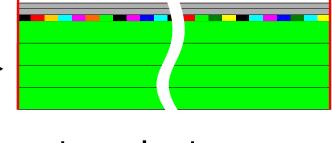
- → On-load recovery after transient over-current
- → min and max temperature along tape
- $\rightarrow$  etc.



#### **PERSPECTIVES**

- Multi-scale models + professional power system transient simulator opens a world of possibilities
  - Optimization of tape architecture under realistic network operating conditions
    - Various type of stabilizers
    - Tapes with accelerated NZPVs

    - etc.
  - Robustness of rSFCLs under various transients
  - Investigation of the impact of rSFCLs in AC and DC power systems with realistic device behaviour
  - etc.



I<sub>c</sub> varies along length

### **POSSIBLE IMPROVEMENTS**

- Model still heavy in terms of number of components
  - many control blocks and nonlinear devices
- Would be desirable to integrate more components into the DLL file
- An hierarchy of models of increasing complexity would help to enable optimal multi-scale modelling

### **CONCLUSIONS**

- A true multi-scale model of rSFCLs have been developed in the EMTP-RV software
- The model has been heavily verified against FEM
  - Proper discretization remains a delicate issue
- Multi-scale models are of interest for both
  - Manufacturers (and researchers)
  - Power system engineers

2 different worlds!

- Implementation in a major commercial code
   bridges a gap between these two worlds
  - A public version should be released within a few months



#### **REFERENCES**

- [1] C.-H. Bonnard, F. Sirois, C. Lacroix and G. Didier, "Multi-scale model of resistive-type superconducting fault current limiters based on 2G HTS coated conductors," submitted to Superconductor Science and Technology, May 2016.
- [2] C.-H. Bonnard, F. Sirois, C. Lacroix and G. Didier, "Application of a multi-scale model of resistive-type superconducting fault current limiters in power system simulators," submitted to IEEE Transactions on Applied Superconductivity, July 2016.